Week 30 Revision Sheet: Logs/Indices <u>5th Yr Higher Level</u>

<u>Q1.</u> Simplify $3^n + 3^n + 3^n$.	<u>Q2.</u> Solve the equation $5^x = \frac{1}{5\sqrt{5}}$
<u>Q3.</u> Solve the equation $2^{2y+1} - 5(2^y) + 2 = 0$.	<u>Q4.</u> Solve $2^{2x+2} - 33(2^x) + 8 = 0$
Q5. Solve the equation:	<u>Q6.</u> Solve the equation:
$\log_4(6x+1) - 2 = 2\log_4 x$	$\log_2(x+2) + \log_2(x-2) = 5$
$\log_2(3x-1) = 3$	$2 \log y = \log 2 + \log x \text{ and } 2^y = 4^x$
<u>Q9.</u> Solve $3^x = 1000$	<u>Q10.</u> Solve the equation: $\log_a(x-6) + \log_a(x-4) = \log_a x$
<u>Q11.</u> Solve the equation: $\log_3(x^2 - 10) - \log_3 x = 2 \log_3 3$	<u>Q15.</u> The population of a city grows according to the law $P = 40000(1.03)^n$.
<u>Q12.</u> Solve the equation $2^n = 31$.	where n is the time in years and P is the population size. (i) What type of function is
<u>Q13.</u> Solve the equation $e^{2x} = 3$.	this? (ii) Estimate the size of the population in 12 years time (iii) What was
Q14. A bacteria colony starts with a size of A and grows exponentially. It doubles in size in 10 minutes. Write the size, Q(t), of the colony after t minutes in the form $Q(t) = Ae^{bt}$ giving the value of b, correct to four decimal places.	the initial population of the city before the city started growing? (iv) Determine when the population with have doubled (to the nearest half-year).

Answers:

<u>Q1.</u> 3^{n+1}	<u>Q2.</u> $x = -\frac{3}{2}$
<u>Q3.</u> $y = \pm 1$	<u>Q4.</u> x = -2 or 3
<u>Q5.</u> $x = \frac{1}{2}$	<u>Q6.</u> x = 6
Q7. x = 3	<u>Q8.</u> $x = \frac{1}{2}, y = 1$
<u>Q9.</u> x = 6.29	<u>Q10.</u> × = 8
<u>Q11.</u> × = 10	<u>Q12.</u> n = 4.954
<u>Q13.</u> $x = \frac{\ln 3}{2}$	<u>Q14.</u> 0.0693
<u>Q15.</u> (ii) 57,030 (iii) 40,000 (iv) 23.5yrs	